

Profinite groups. Reading

J. D. Dixon, M. P. F. du Sautoy, A. Mann & D. Segal: *Analytic pro- p groups*, 2nd ed. CUP 1999.

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B. Klopsch, N. Nikolov & C. Voll, *Lectures on profinite topics in group theory*, LMS Student Texts **77**, 2011.

For the ‘Lubotzky linearity criterion’ see *Analytic pro- p groups*, Interlude B.

For coclass theory see *Analytic pro- p groups*, Chapter 10.

For ‘Conjecture P’ see M. P. F. du Sautoy, D. Segal & A. Shalev (eds.), *New horizons in pro- p groups*, Birkhäuser 2000, chapter 9.

For ‘upper finiteness conditions’ see A. Lubotzky & D. Segal, *Subgroup growth*, Birkhäuser 2003, chapters 10, 12

For constructions using rooted trees see *Subgroup growth*, chapter 13.

For verbal subgroups see D. Segal, *Words*, LMS Lect.Notes **361**, 2009, chapter 4.

Recent papers

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